developed [7] and applied to several reactions induced by ${ }^{11} \mathrm{Be}$ [8, 9] and ${ }^{19} \mathrm{C}$ [10].

Regarding the NEB, it corresponds to projectile breakup accompanied by target excitation or by capture of one of the projectile constituents by the target. These contributions are not accounted for by the CDCC or XCDCC methods, which provide only the socalled elastic breakup (EBU) part. Because of the large number of accessible states, explicit inclusion of all channels contributing to NEB is not feasible in practice. The evaluation of non-elastic cross sections can be more efficiently done making use of inclusive breakup models. These were proposed in the 1980s [11-15] but they have not been fully tested and applied until recently [16-18]. In particular, these models have never been applied to the case of halo nuclei.

In this work, we investigate the influence of CEX and NEB in the reaction of ${ }^{11} \mathrm{Be}$ on a ${ }^{64} \mathrm{Zn}$ target, measured at ISOLDE by Di Pietro et al. [19]. The quasielastic (i.e. elastic+inelastic) and breakup data from this experiment have been subject of many studies, including optical model [19], CDCC [20-22] and semiclassical calculations [23,24]. In [20], the quasi-elastic data could be well reproduced by standard CDCC calculations, but the inclusive breakup data ( ${ }^{10} \mathrm{Be}$ angular distribution) was significantly underestimated. In a later work, the same data were compared with XCDCC calculations [8]. Although these calculations predicted larger breakup cross sections, improving the agreement with the data, some underestimation remained.

In this Letter we present new calculations for the elastic and inclusive breakup data of this reaction. We report also on new experimental results of the same experiment not published before, corresponding to the energy spectra of the ${ }^{10} \mathrm{Be}$ fragments. These data are compared with CDCC and XCDCC calculations, using an augmented modelspace with respect to previous studies. In addition, the contribution of NEB in the inclusive ${ }^{10} \mathrm{Be}$ data, using the inclusive breakup model of Ichimura, Austern and Vincent, is also explored. Finally, the phenomenon of post-acceleration is investigated using a simple model.

The paper is organized as follows. In Section 2, we briefly discuss the experimental analysis of the new data. Then, in Sec. 3, we outline the theoretical frameworks used, namely, the XCDCC method and the IAV model. The calculations performed with these models are compared in Section 4 with the quasielastic and inclusive breakup data of Ref. [19], along with new data extracted from the same reaction, corresponding to the energy distributions of ${ }^{10}$ Be fragments. Finally, in Sec. 5 the main conclusions of this work are summarized.

## 2. Experimental analysis

The ${ }^{11} \mathrm{Be}+{ }^{64} \mathrm{Zn}$ reaction was measured at the REX-ISOLDE facility. Details of the experimental set-up have been reported in Refs. [19] and [20]. The ${ }^{10}$ Be fragments produced in the reaction were detected and identified, in charge and mass, in the angular range $15^{\circ} \leq \theta_{\text {lab }} \leq 42^{\circ}$. In Fig. 1 it is shown a 2D-spectrum of $\Delta E$ $v s$. the total energy ( $E_{\text {tot }}$ ). The latter was reconstructed by considering, in addition to the energy deposited in the two stages of detection ( $\Delta E$ and $E_{\text {res }}$ ), the energy loss of the beam and emitted particles in the target, and the energy loss of the particles in the detector dead layers. The energy loss correction was done on an event-by-event basis. In the spectrum shown in this figure it was assumed, for the energy loss calculations, that the emitted fragment was ${ }^{10} \mathrm{Be}$. Therefore, the energy information is correct for ${ }^{10} \mathrm{Be}$ events but not for ${ }^{11} \mathrm{Be}$ ones.

As can be seen from the figure, there is a band of events, starting from the elastic scattering locus, for which the $\Delta E$ energy decreases for decreasing total energy. These events are elastic scat-


Fig. 1. $\Delta \mathrm{E}$ vs. $E_{\text {tot }}$ bidimensional spectrum at $\theta_{\mathrm{lab}}=20^{\circ}$. The polygons shown in black and red enclose, respectively, ${ }^{10} \mathrm{Be}$ events and background events (see text for details).
tering events for which the total energy is not correctly measured due to incomplete charge collection in the $\Delta E$ detector most probably due to interstrip effects [25,26]. Although interstrip events producing signals above threshold into two neighbour strips have been excluded from the data analysis, some of them might still remain [26]. These are background events and must be removed from the energy spectra. To do that, the same gate used for selecting ${ }^{10}$ Be events, shown in black in Fig. 1, was shifted so as to include a similar fraction of background events as in the ${ }^{10} \mathrm{Be}$ gate (red gate); the energy shift varied depending upon angle and the same was for the fraction of background events, since it depended on the elastic scattering rate on the detector. To obtain background-subtracted energy distribution of ${ }^{10} \mathrm{Be}$, the spectrum corresponding to the background gate had to be shifted, before subtraction, by the same $E_{\text {tot }}$ as the one used to produce the red gate.

## 3. Theoretical framework

For the interpretation of the present data we employ state-of-the-art methods for the computation of breakup cross section. For the EBU cross sections, we use the recently developed XCDCC method [7,8], a generalization of the standard CDCC formalism that takes into account the effect of the deformation of the core subsystem in the projectile and also its possible excitations and deexcitations during the collision. In particular, we treat the $n-{ }^{10} \mathrm{Be}$ system using a particle-plus-rotor model (PRM) with the Hamiltonian of Ref. [27]. This Hamiltonian consists of central and spinorbit parts, with the usual Woods-Saxon volume and derivative shapes, respectively. To account for the coupling with the $2^{+}$state of the core, the central potential is deformed using a deformation parameter $\beta_{2}=0.67$ [28] and later expanded in multipoles. The quadrupole terms are responsible for the coupling between the ${ }^{10} \mathrm{Be}$ g.s. and the $2^{+}$excited state, giving rise to core-excited admixtures in the ${ }^{11} \mathrm{Be}$ states. The resultant ground-state wave function has a $85 \%$ of $s_{1 / 2}$, consistent with recent ab-initio calculations based on the no-core-shell-model (NCSM) formalism [29].

The ${ }^{11} \mathrm{Be}$ continuum is discretized using a binning procedure. As a consequence of the ${ }^{10} \mathrm{Be}$ deformation, these continuum states contain also admixtures with core-excited components [7]. Continuum states up to maximum orbital angular momentum $\ell_{\max }=9$, total angular momentum $J_{p}^{\pi}=1 / 2^{ \pm}, 3 / 2^{ \pm}, \ldots, 17 / 2^{ \pm}$and maximum excitation energy ranging from 8 to 12 MeV (depending on $J_{p}^{\pi}$ ) were considered in the calculations. The ${ }^{10} \mathrm{Be}+{ }^{64} \mathrm{Zn}$ and
$n+{ }^{64} \mathrm{Zn}$ potentials were taken from Refs. [19] and [30], respectively. For comparison purposes, we have performed also conventional CDCC calculations, using the single-particle neutron-core potential of Ref. [5]. For consistency, these calculations use the same ${ }^{10} \mathrm{Be}+{ }^{64} \mathrm{Zn}$ and $n-{ }^{64} \mathrm{Zn}$ interactions as in the XCDCC calculations. Continuum states were discretized using the standard binning procedure, including partial waves up to $\ell_{\max }=9$.

To evaluate the non-elastic breakup contributions we make use of the Ichimura, Austern, Vincent (IAV) model [14], which has been recently reexamined and implemented by several groups [16-18]. The IAV model for NEB is based on a participant-spectator picture, which can be schematically represented as $a+A \rightarrow b+B^{*}$, where the projectile $a$ dissociates into $b+x$, but only the fragment $b$ (the spectator particle) is detected. The participant particle $x$ corresponds to the unobserved particle (the neutron in our case). The residual nucleus $B^{*}$ denotes any possible final state of the $x+A$ system. When $x$ survives after the reaction and $A$ remains in its ground state, we have EBU which, in this work, is calculated with XCDCC. To account for all possible non-elastic processes of the participant with the target nucleus, the IAV model makes use of the Feshbach projection formalism and closure of the neutron-target final states. The resultant NEB double differential cross section with respect to the angle and energy of the core fragment, is given by

$$
\begin{equation*}
\left.\frac{d^{2} \sigma}{d E_{b} d \Omega_{b}}\right|_{\mathrm{NEB}} ^{\mathrm{IAV}}=-\frac{2}{\hbar v_{i}} \rho_{b}\left(E_{b}\right)\left\langle\psi_{x}\right| W_{x A}\left|\psi_{x}\right\rangle, \tag{1}
\end{equation*}
$$

where $i W_{x A}$ is the imaginary part of the $x-A$ optical potential $U_{x A}, \rho_{b}\left(E_{b}\right)$ the density of states of the $b$ particle, and $\psi_{x}$ is the so-called $x$-channel wavefunction, which describes the $x-A$ relative motion when the target is in the ground state and the $b$ particle scatters with momentum $\vec{k}_{b}$. This $x$-channel wavefunction is obtained from the solution of the inhomogeneous equation
$\left(E_{\chi}-K_{x}-U_{x A}\right) \psi_{x}\left(\vec{k}_{b}, \vec{r}_{x}\right)=\left\langle\vec{r}_{x} \chi_{b}^{(-)}\left(\vec{k}_{b}\right)\right| V_{\text {post }}\left|\chi_{a}^{(+)} \phi_{a}\right\rangle$,
where $E_{\chi}=E-E_{b}, V_{\text {post }} \equiv V_{b x}+U_{b A}-U_{b B}$ and $\chi_{b}^{(-)}\left(\vec{k}_{b}\right)$ is a distorted wave describing the relative motion of the outgoing ${ }^{10} \mathrm{Be}$ fragment and the $A+x$ system.

In the present calculations, the projectile wave function, $\phi_{a}\left(\vec{r}_{b x}\right)$ was generated with the same ${ }^{11} \mathrm{Be}$ model used in the CDCC calculations [5] whereas the entrance and exit channel distorted waves $\left(\chi_{a}^{(+)}\right.$and $\left.\chi_{b}^{(-)}\left(\vec{k}_{b}\right)\right)$ were calculated with the optical model potentials derived in [19] from the fit of the ${ }^{11}$ Be quasi-elastic scattering data and the ${ }^{11}$ Be elastic scattering data, respectively.

## 4. Comparison with data

In this section we compare the calculations with the data from Ref. [19], and also with the newly extracted data for the inclusive ${ }^{10} \mathrm{Be}$ distributions.

We first consider the quasielastic cross section displayed in the upper panel of Fig. 2. The CDCC and XCDCC calculations are found to yield almost identical results and reproduce very well the data in the full angular range. However, the separate elastic and inelastic cross sections predicted by these calculations are rather different, as shown in the bottom panel of this figure. The angleintegrated inelastic cross sections are 940 and 437 mb for the CDCC and XCDCC calculations, respectively. This effect was also found in Ref. [31], where the ${ }^{11} \mathrm{Be}+{ }^{197} \mathrm{Au}$ data was analysed with the CDCC and XCDCC methods. In that case, both observables could be separated experimentally and were found to be very well reproduced by XCDCC, whereas the CDCC calculation could


Fig. 2. (a) Experimental [19] and calculated quasielastic differential cross section, as a function of the ${ }^{11} \mathrm{Be} \mathrm{CM}$ angle, for the reaction ${ }^{11} \mathrm{Be}+{ }^{64} \mathrm{Zn}$ at 28.7 MeV . (b) Inelastic differential cross section for the excitation of the ${ }^{11} \mathrm{Be}\left(1 / 2^{-}\right)$excited state, computed with the CDCC and XCDCC methods.
not reproduce any of them satisfactorily. The difference was attributed to the reduced $B(E 1)$ strength predicted by the deformed ${ }^{11}$ Be model, in better agreement with Coulomb dissociation experiments and lifetime measurements [32]. A similar effect seems to be taking place in the present reaction, but new data for the separate elastic and inelastic cross sections would be of interest to confirm it. We note that the link between the inelastic cross section for this reaction and the underlying $B(E 1)$ value was studied in detail in Ref. [22], where it was shown that, below the grazing angle, the full CDCC calculation is very well reproduced by a first order pure E1 calculation.

We consider now the inclusive breakup cross sections, consisting on angular and energy distributions of ${ }^{10} \mathrm{Be}$ singles. We notice that, for the CDCC and XCDCC results, the breakup cross sections are more naturally expressed in terms of the scattering angle of the c.m. of the outgoing $n+{ }^{10} \mathrm{Be}$ pair. To obtain the ${ }^{10} \mathrm{Be}$ angular and energy distributions, one needs to calculate the tripledifferential cross sections by applying the appropriate kinematical transformation to the scattering amplitudes computed with CDCC/XCDCC. In the CDCC case, this was done by using the formalism presented in Ref. [33], whereas for the XCDCC case a recently proposed extension of this formalism was used [9].

The computed ${ }^{10} \mathrm{Be}$ angular distributions are compared with the data in Fig. 3. It can be seen that CDCC and XCDCC give almost identical results, confirming the results of [9] performed in a smaller modelspace $\left(\ell_{\max }=5\right)$. However, this EBU contribution alone underestimates the magnitude of the data by about $20 \%$. This underestimation suggests that other, non-elastic breakup (NEB), mechanisms contribute also to the inclusive ${ }^{10} \mathrm{Be}$ cross sections.

We have computed these NEB contribution with the IAV model [cf. Eq. (1)], which is shown with the dot-dashed line in Fig. 3. It exhibits a bell-shaped form, with a maximum around $35^{\circ}$. This contribution is rather significant for angles larger than $10^{\circ}$. The total inclusive breakup, given by the sum of the EBU and NEB contributions, give a good overall account of the experimental data,


Fig. 3. Experimental and calculated differential breakup cross section, as a function of the ${ }^{10}$ Be laboratory scattering angle, for the reaction ${ }^{11} \mathrm{Be}+{ }^{64} \mathrm{Zn}$ at 28.7 MeV . The elastic breakup contributions (from CDCC and XCDCC calculations) and the nonelastic breakup contribution (IAV model) are compared with the data from Ref. [20].
with some remaining underprediction at the smaller angles, and some overestimation for $\theta=30^{\circ}-40^{\circ}$.

Further insight into the reaction dynamics can be obtained from the ${ }^{10}$ Be energy distributions. This is shown in Fig. 4 for some selected angles of ${ }^{10} \mathrm{Be}$. The experimental distributions display an asymmetric shape, with a tail extending to low energies. For ${ }^{10} \mathrm{Be}$ energies above the peak, all the distributions exhibit an apparent drop showing a kinematical cutoff derived from the energy conservation as well as the interplay between the phase space factor and the breakup amplitude in the semi-inclusive cross sections. For the calculations we show only the results from CDCC, since those obtained with XCDCC are very similar. At the two smaller scattering angles ( $15^{\circ}$ and $18^{\circ}$ ) the inclusive breakup is dominated by the EBU part, which is reasonably well accounted for by the CDCC calculation. At larger angles (see panels (c) and (d)) the NEB becomes important, and its inclusion is essential to explain the data.

It is noticeable that the experimental distributions peak at an energy which is larger than the simple estimate given by $10 / 11$ times the energy of the outgoing ${ }^{11} \mathrm{Be}^{*}$ system, assuming a binary reaction with a $Q$-value equal to the excitation energy of this system. This simple estimate is indicated by the orange arrows in Fig. 4 which, as can be seen, underpredict the energy of
 turns out to be
$\Delta E=\frac{m_{n}}{m_{n}+m_{c}} \frac{Z_{c} Z_{t} e^{2}}{R_{\mathrm{bu}}}$, and core masses. well with the observed experimental centroids. ticated CDCC calculations.
the maximum by about 1 MeV . This post-acceleration of the ${ }^{10} \mathrm{Be}$ fragments can be understood as follows. When the projectile approaches the target, part of its kinetic energy will be converted into Coulomb potential energy. For a binary process, such as elastic or inelastic scattering, this potential energy will be transformed again into kinetic energy when the ejectile flies away. However, for a breakup process, the projectile will eventually dissociate into ${ }^{10} \mathrm{Be}+n$ during the collision. After this point, the Coulomb energy will be converted into kinetic energy of the charged fragment, ${ }^{10} \mathrm{Be}$. Denoting the breakup distance by $R_{\mathrm{bu}}$ the additional kinetic energy gained by the ${ }^{10}$ Be core with respect to the binary process
where $Z_{c, t}$ are the core and target charges and $m_{n, c}$ the neutron
We have evaluated this formula, assuming for the breakup radius the distance of closest approach in a classical Coulomb trajectory. When this energy shift is added to $(10 / 11) E\left({ }^{11} \mathrm{Be}^{*}\right)$, one gets the green arrow shown in Fig. 4 which, as can be seen, agrees very

We have repeated these calculations for other angles and the results are shown in Fig. 5, where we plot the final energy of the ${ }^{10} \mathrm{Be}$ fragments as a function of the scattering angle. The orange line corresponds to the simple estimate $(10 / 11) E\left({ }^{11} \mathrm{Be}^{*}\right)$, whereas the green solid line is the result of adding the post-acceleration $\Delta E$ effect according to the simple estimate (3). For the data, we have considered the maximum of the energy distribution at the corresponding scattering angle. It is seen that the calculations including postacceleration reproduce perfectly well these data. Moreover, it can be seen that the energy shift becomes larger as the scattering angle increases, due to the fact that the breakup radius decreases for larger scattering angles. These results indicate that this breakup reaction is not a simple one-step mechanism, but involves additional, higher-order effects which are well accounted for by the simple kinematical estimates as well as by the more sophis-

Fig. 4. Experimental and calculated double differential cross-section for breakup, as a function of the ${ }^{10}$ Be laboratory energy, for selected values of the scattering angle. The orange and green arrows correspond to the estimated energies excluding and including post-acceleration, respectively (see text for details).


Fig. 5. Experimental position of the centroid of the ${ }^{10} \mathrm{Be}$ energy distribution as a function of the laboratory angle. The dashed orange and solid green lines correspond to the predicted outgoing ${ }^{10} \mathrm{Be}$ energy without and with post-acceleration effect, respectively (see text for details).

## 5. Conclusions

To summarize, we have investigated the dynamics of the elastic and breakup of the halo nucleus ${ }^{11} \mathrm{Be}$ on a ${ }^{64} \mathrm{Zn}$, with emphasis in those effects which go beyond the strict few-body picture of the reaction, namely, core excitations and non-elastic breakup. Quasielastic and inclusive breakup data ( ${ }^{10} \mathrm{Be}$ singles) have been compared with state-of-the-art reaction calculations. The quasielastic data are equally well reproduced by CDCC and extended CDCC (XCDCC) calculations, with the latter including effects arising from ${ }^{10}$ Be deformation. Both methods predict however very different inelastic cross sections for the population of the ${ }^{11} \mathrm{Be}$ bound excited state. Therefore, ${ }^{10}$ Be deformation has a sizable effect on the inelastic scattering cross section, but a very small effect on the quasielastic and breakup cross sections. This contrasts with the case of the proton target, for which a significant enhancement of the breakup cross section was found due to dynamical core excitation effects [8,34,35].

The CDCC and XCDCC calculations predict also similar elastic breakup cross sections, but they underestimate the magnitude of the data by about $\sim 20 \%$. This underestimation is attributed to the presence of non-elastic breakup contributions. Inclusion of this contribution, using the model of Ichimura, Austern and Vincent, is found to reproduce rather well the experimental angular and energy distributions of the ${ }^{10} \mathrm{Be}$ fragments.

We have also analysed the post-acceleration effect observed in the energy distribution of the ${ }^{10} \mathrm{Be}$ fragments. This effect can be explained assuming that the breakup takes place in the proximity of the target, around the distance of closest approach, and that the Coulomb energy originally carried by the ${ }^{11}$ Be projectile is finally transferred to the ${ }^{10}$ Be core. A quantitative estimate of this effect, using as the breakup radius the distance of closest approach for a classical Coulomb trajectory, explains very well the experimental position of the energy distribution peak.

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